

# Module 3

## Procedural Generation



# Design Considerations

- We use procedural generation to keep games fresh for the end user
- Letting the computer make things is great, but if we give it too much power, we can end up on the bad sides of an extreme
- Too random, and the user will become confused or the generated content will be nonsensical
- Too tight of restrictions, and the patterns become too obvious to spot
- We want to land in that sweet spot of randomness where the user is having a new experience, but in a way that feels familiar and natural



# How do we hit the sweet spot?

- Play areas: Where players spend their time
- Connectors: the links between areas. Players spend less time here
- How do we randomly generate fun play areas?
- The overwhelming paradigm is to hand make play areas
  - This lets us as developers control how the space operates, and allows the player to recognize familiar patterns
- Where do we use the randomness then?
  - Placement of obstacles/benefits in play areas
  - Terrain, look, feel of play areas
  - What kinds of obstacles/benefits are in play areas
- The bottom line: making new things is hard to do procedurally. It usually better to focus on varying things using some heuristic



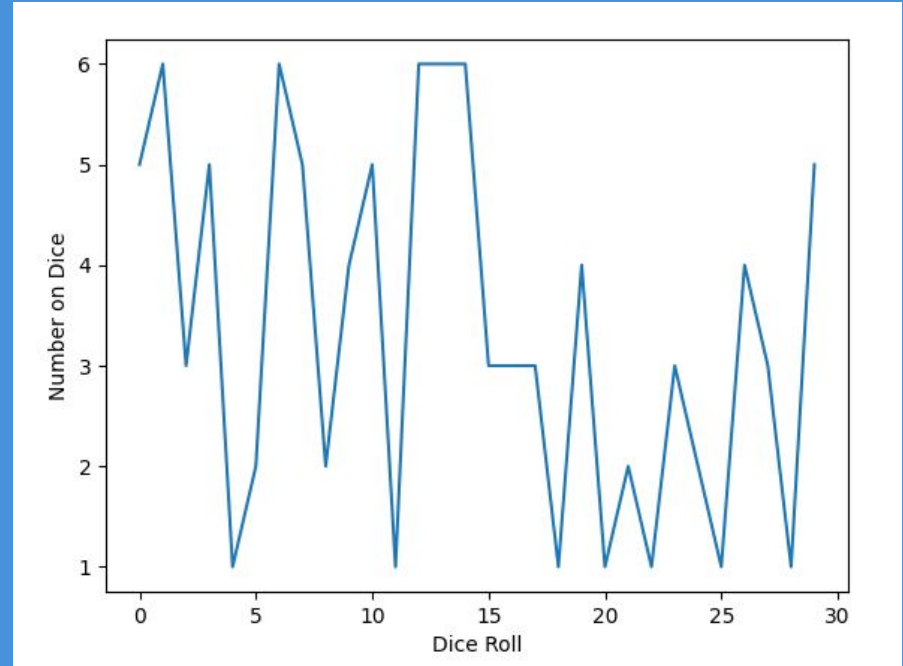
Procedural Generation

# Heuristics: Noise



# What is Noise?

- Random Values
  - A roll of a dice
  - `Math.random();`
  - Random number from 1 to 10
- Typically quite jagged
- Not very useful on its own



# White Noise

// returns a pseudorandom noise value for a given position

```
float noise(Vec2i vec) {  
    Random r = new Random();  
    r.setSeed(vec.hashCode());  
    return r.nextFloat();  
}
```



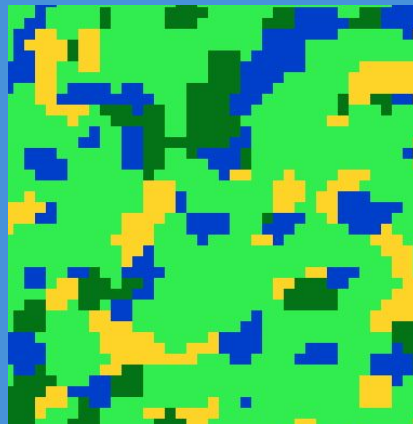
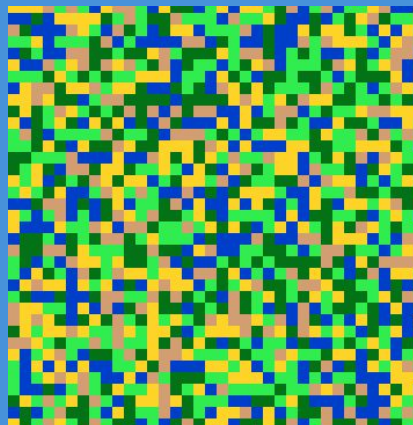
Procedural Generation

# VALUE NOISE



# Value Noise

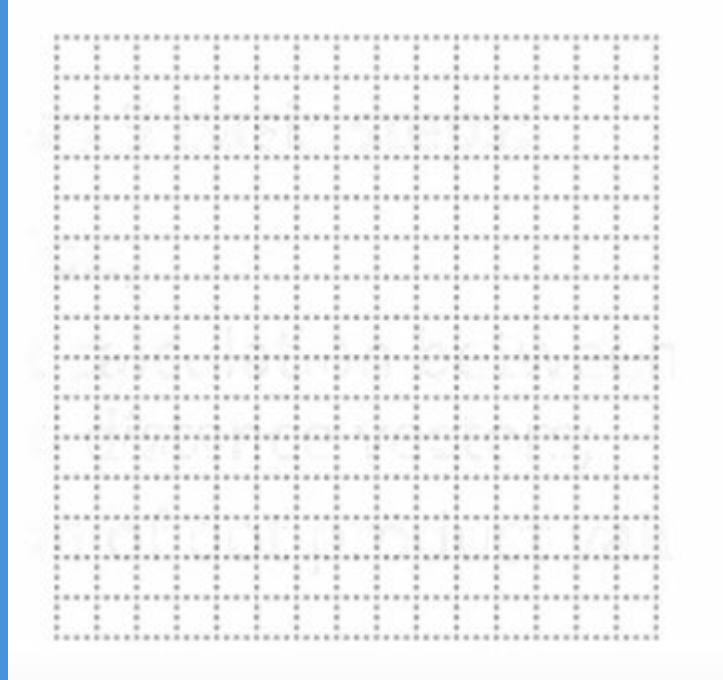
- Smooth white noise by taking the average over neighbors
  - essentially blurring
- Turns white noise into something useful.





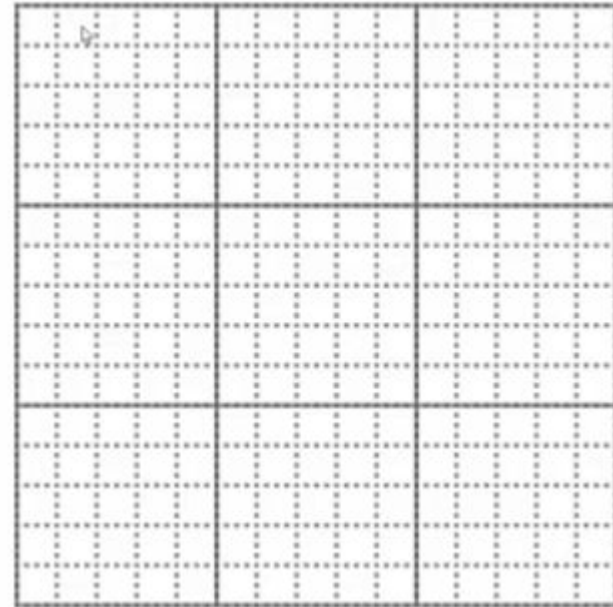
# Helper: Grids on Grids

In order to generate noise,  
we often layer a grid on top of our  
existing coordinate system  
like so



# Helper: Grids on Grids

In order to generate noise,  
we often layer a grid on top of our  
existing coordinate system  
like so



# Value Noise

```
// returns a weighted average of the 9 points around the Vec2i v float
valueNoise(Vec2i vec){ // In this example, we are sampling with a grid size of 1
    // four corners, each multiplied by 1/16
    corners = ( noise(vec.x - 1, vec.y - 1) + noise(vec.x + 1, vec.y - 1)
        + noise(vec.x - 1, vec.y + 1) + noise(vec.x + 1, vec.y + 1) ) / 16;
    // four sides, each multiplied by 1/8
    sides = ( noise(vec.x - 1, vec.y) + noise(vec.x + 1, vec.y)
        + noise(vec.x, vec.y - 1) + noise(vec.x, vec.y + 1) ) / 8;
    // center, multiplied by 1/4
    center = noise(vec.x, vec.y) / 4;
    return center + sides + corners;
}
```



Procedural Generation

# INTERPOLATION



# Interpolation

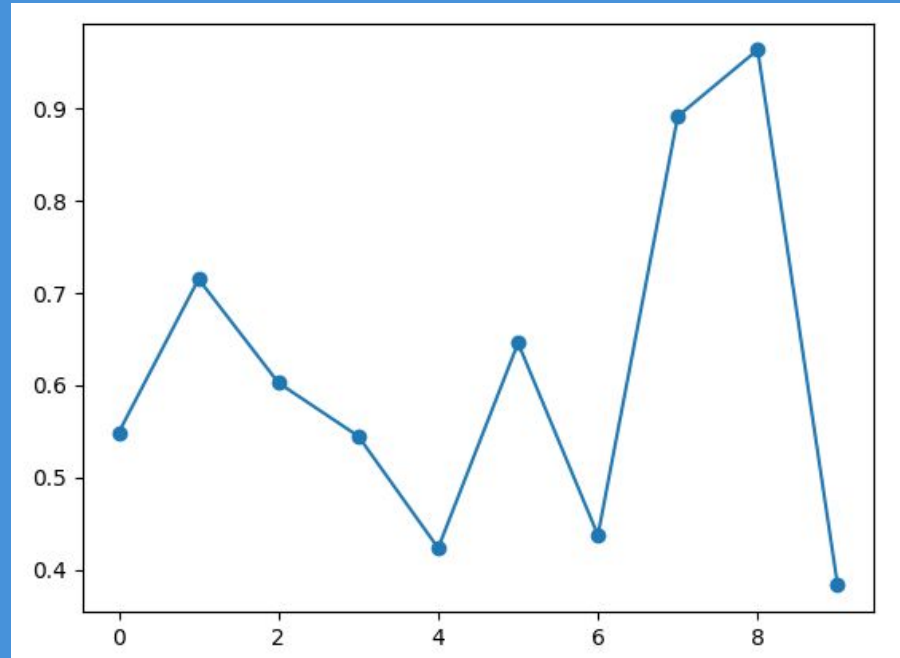
- Most interpolation functions take three arguments
  - $A$  and  $B$  the values to interpolate between
  - $t$ , a value between 0 and 1
- When  $t == 0$  the function returns  $A$
- When  $t == 1$  the function returns  $B$
- When  $0 < t < 1$  the function returns something between  $A$  and  $B$

Short python script to see interpolation plots on following slides: [Interpolation.py](#)



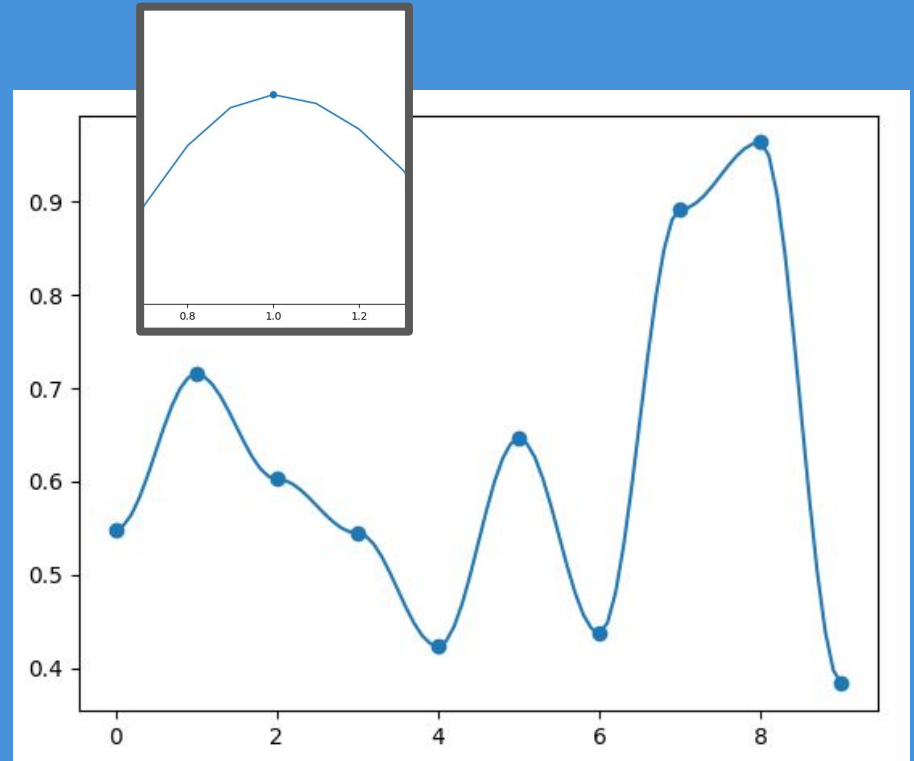
# Linear Interpolation

- $f = a(1-t) + bt$
- Fast and jagged



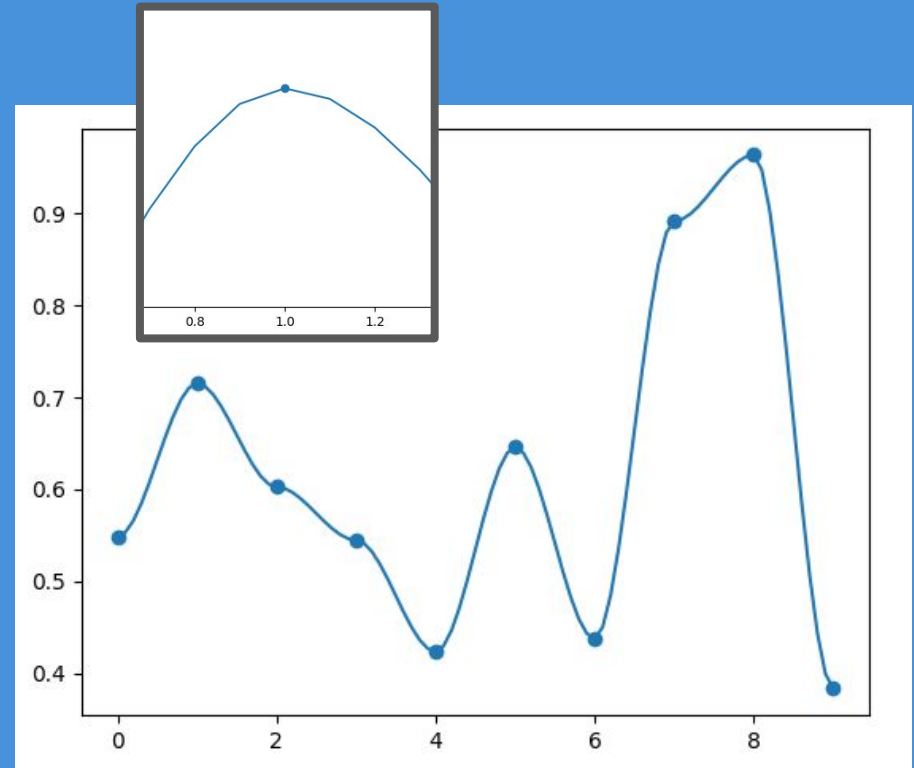
# Cosine Interpolation

- $t' = (1 - \cos(t * \pi)) / 2$
- $f = a(1-t) + bt$
- Slower but much smoother



# Cubic Interpolation

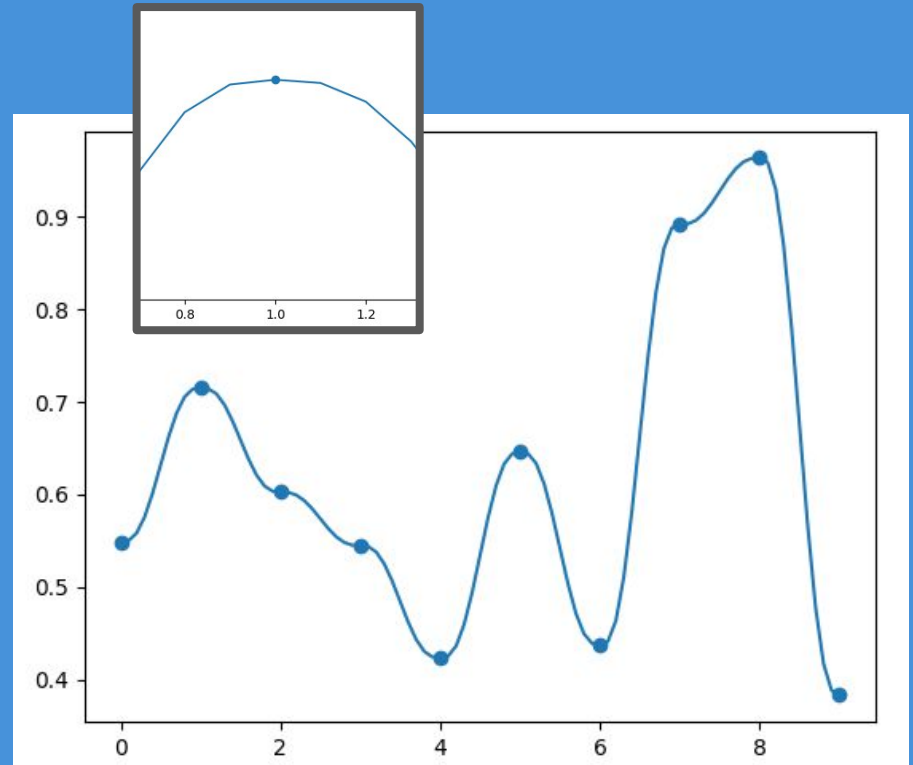
- $t' = 3t^2 - 2t^3$
- $f = a(1-t) + bt$
- Similar to cosine





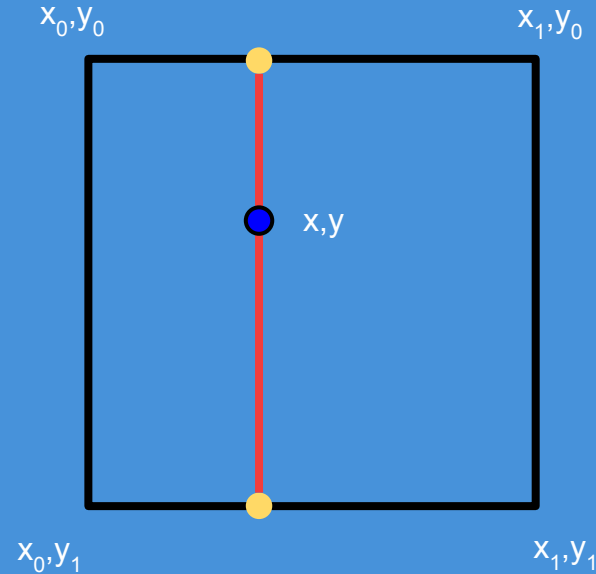
# Perlin Interpolation

- $t' = 6t^5 - 15t^4 + 10t^3$
- $f = a(1-t) + bt$
- Slightly slower than cubic
- Super smooth



# Interpolating Coordinates

- We want to be able to interpolate any point in the  $xy$ -plane
- From the grid of noise values find the square containing the point  $(x,y)$
- Interpolate along opposite edges of the square and then interpolate between edges to get the value at the point.



# Interpolating Coordinates

// returns the noise interpolated from the four nearest vertices

```
float interpolatedNoise(Vec2f vec){  
    Vec2i topLeft = Vec2i ((int) vec.x, (int) vec.y);  
    Vec2i topRight = Vec2i ((int) vec.x + 1, (int) vec.y);  
    Vec2i botLeft = Vec2i ((int) vec.x, (int) vec.y + 1);  
    Vec2i botRight = Vec2i (int) vec.x + 1, (int) vec.y + 1);  
    float dx = vec.x - ((int) vec.x);  
    float dy = vec.y - ((int) vec.y);  
    float topNoise = interpolate(valueNoise(topLeft), valueNoise(topRight), dx);  
    float botNoise = interpolate(valueNoise(botLeft), valueNoise(botRight), dx);  
    return interpolate(topNoise, botNoise, dy);  
}
```



Procedural Generation

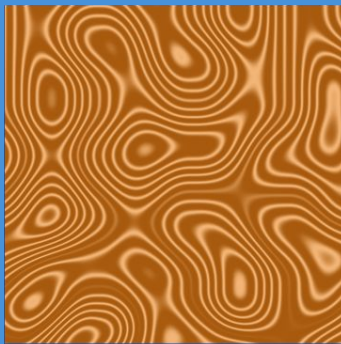
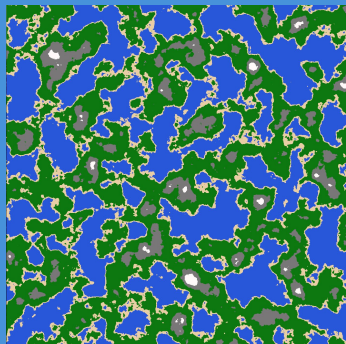
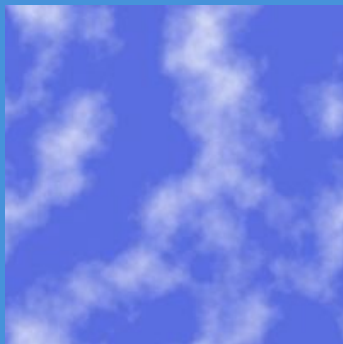
# PERLIN NOISE



# Perlin Noise

Named for its creator, Ken Perlin

It's a great way to make smooth, natural noise which can be used to create terrain, cloud patterns, wood grain, and more!

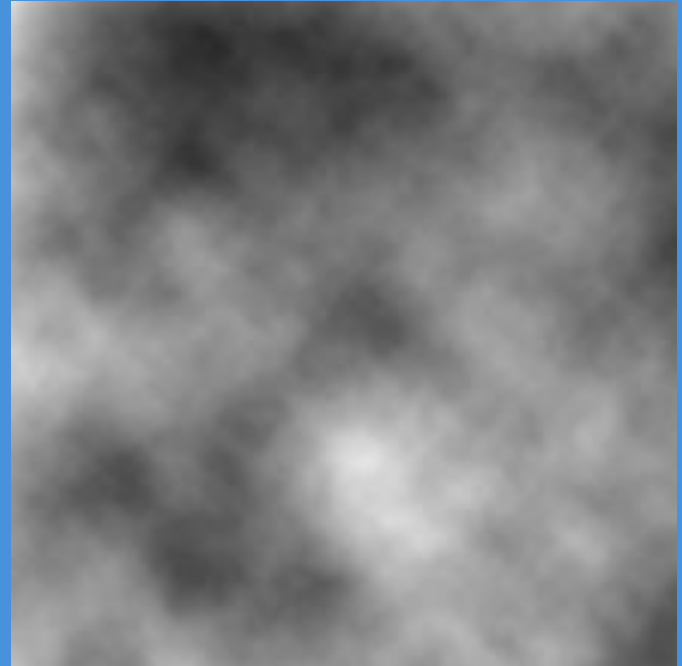


You will probably end up using it just for terrain



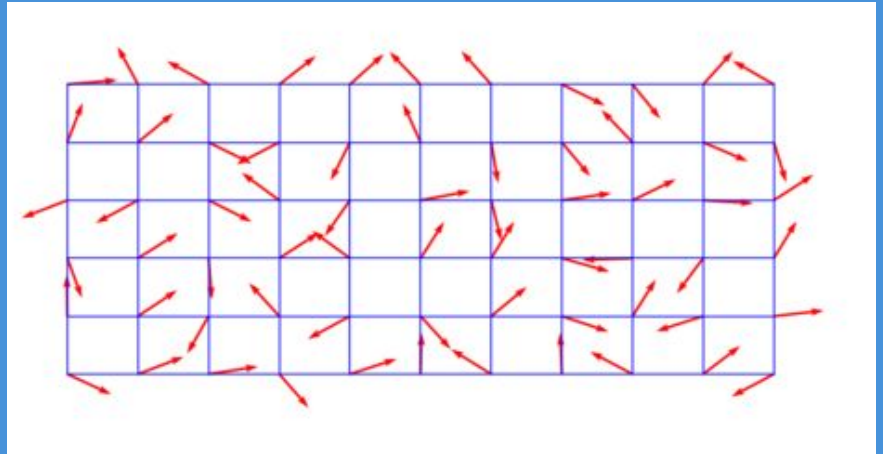
# Recap: Value Noise

- Smooth white noise by taking an average of neighbors
- Turns white noise into something useful

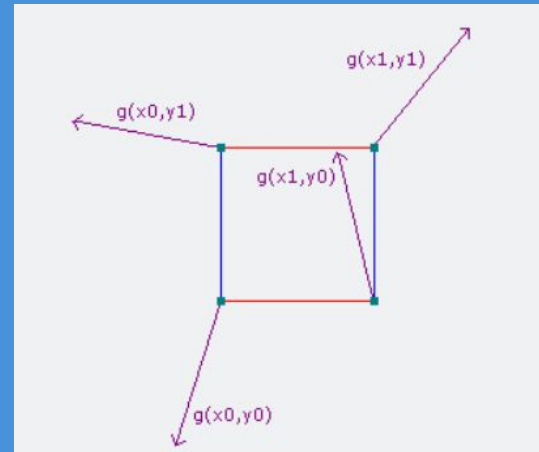


# Perlin Noise

- Assign each vertex a pseudorandom gradient

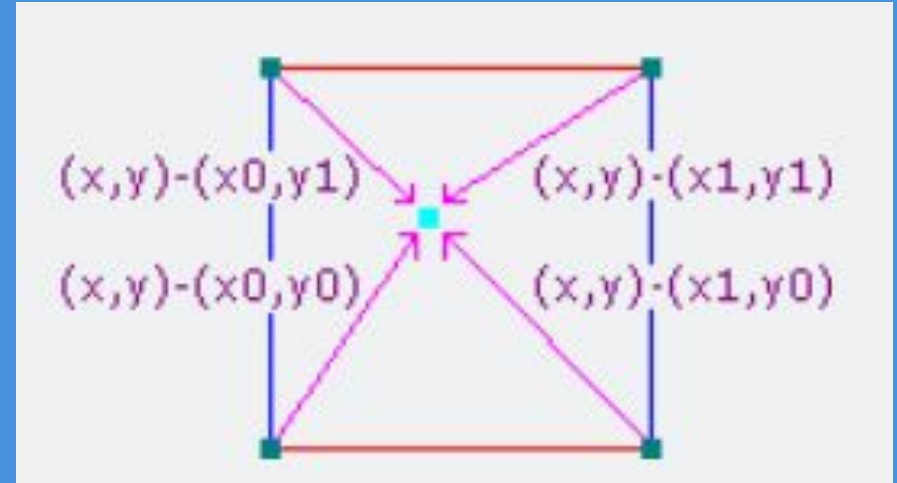


```
Vec2f gradient(Vec2i vec){  
    float theta = noise(vec) * 6.2832;  
    return new Vec2f(cos(theta), sin(theta));  
}
```



# Perlin Noise

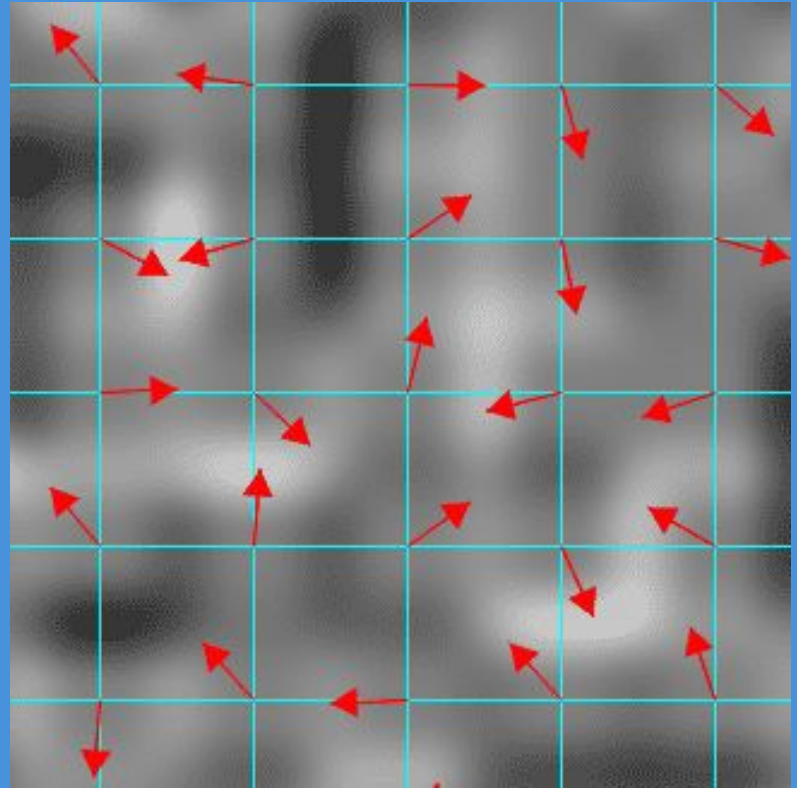
- For a point,  $p=(x,y)$ , we find the noise values of each vertex of the surrounding square for that point.
- The Noise value of each vertex is the dot product of its gradient and the vector from that vertex to the point  $p$
- What do we do with noise value...  
Interpolate!





# Perlin Noise

- Interpolate between the noise values of the four vertices (just like we did with value noise)
- Using linear interpolation is not recommended, it will leave hard edges in your noise. The actual Perlin algorithm uses a special fade function to get the interpolation just right.



Procedural Generation

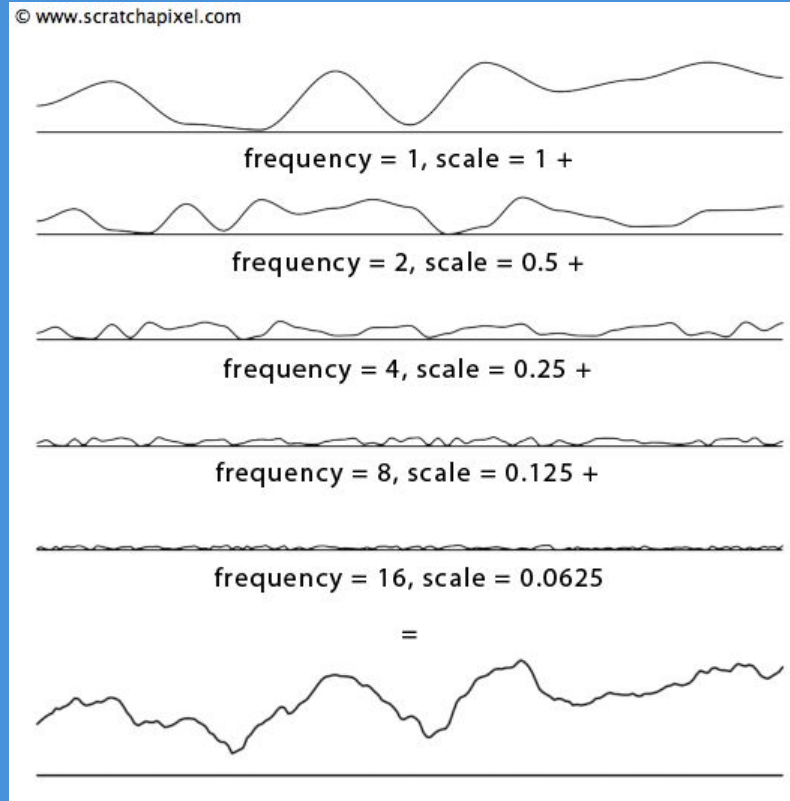
# ADDING NOISE



# Adding Noise Functions



# Adding Noise Functions



# Actually Using Noise

- Sometimes it can hard to envision what using this noise might look like
- Two basic approaches:
- Create a random structure, then clean it up using rules
  - Noise is great for creating a random structure
- Start with something handmade, and add randomness to it



# Extras

- We haven't really talked about how noise layering works
  - Persistence, octaves, ...
  - Here is a website that talks about some of those things:  
<https://pvigier.github.io/2018/06/13/perlin-noise-numpy.html>
- Perlin Noise implementation reference:  
<http://adrianb.io/2014/08/09/perlinnoise.html>
- Some cool island generation with perlin noise:  
<https://medium.com/@yvanscher/playing-with-perlin-noise-generating-realistic-archipelagos-b59f004d8401>

