

RRT-Connect path solving

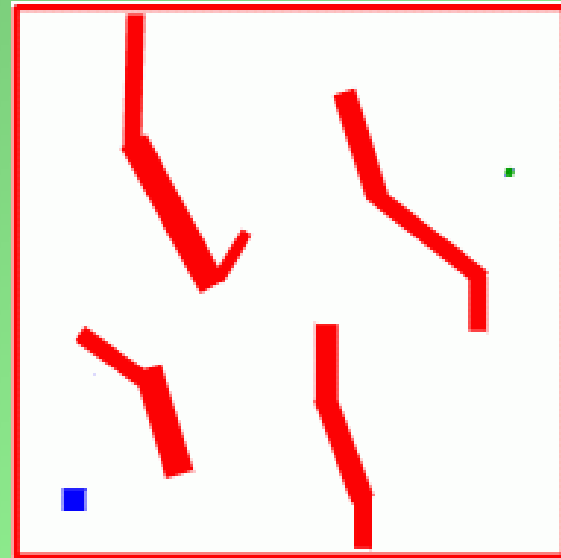
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Talk Overview

- Introduction
- Previous work
- Algorithm
- Examples
- Performance
- Conclusions

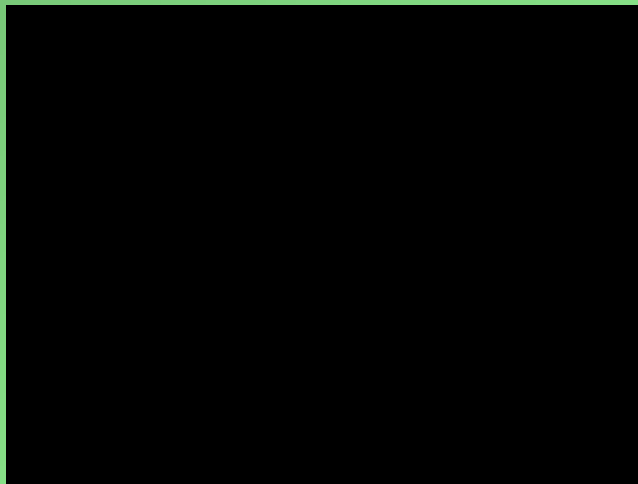
Introduction

- Given a “configuration space” we need to find a path between a start point and a destination



Paper impact: about 200 citations, over 200000 google query results

Introduction



Previous Work

Single Query Planning:

- one path needs to be computed for the environment fast and without preprocessing
- popular method: “randomized potential field”

Multiple Query Planning:

- Many paths will be computed for the same environment and thus the environment model can be preprocessed
- popular method: “probabilistic roadmap approach”

Previous Work

RRT (rapidly exploring random trees)

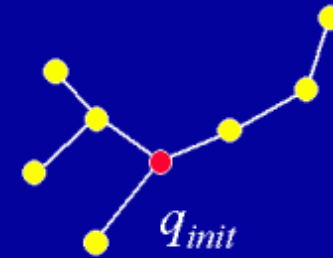
- C : configuration space where q belongs to C and describes the position and orientation of a body place in the space.
- C_{free} : set of configuration where the body does not collide with obstacles

Previous Work

```
BUILD_RRT( $q_{init}$ )
1   $\mathcal{T}.init(q_{init});$ 
2  for  $k = 1$  to  $K$  do
3       $q_{rand} \leftarrow \text{RANDOM\_CONFIG}();$ 
4       $\text{EXTEND}(\mathcal{T}, q_{rand});$ 
5  Return  $\mathcal{T}$ 
```

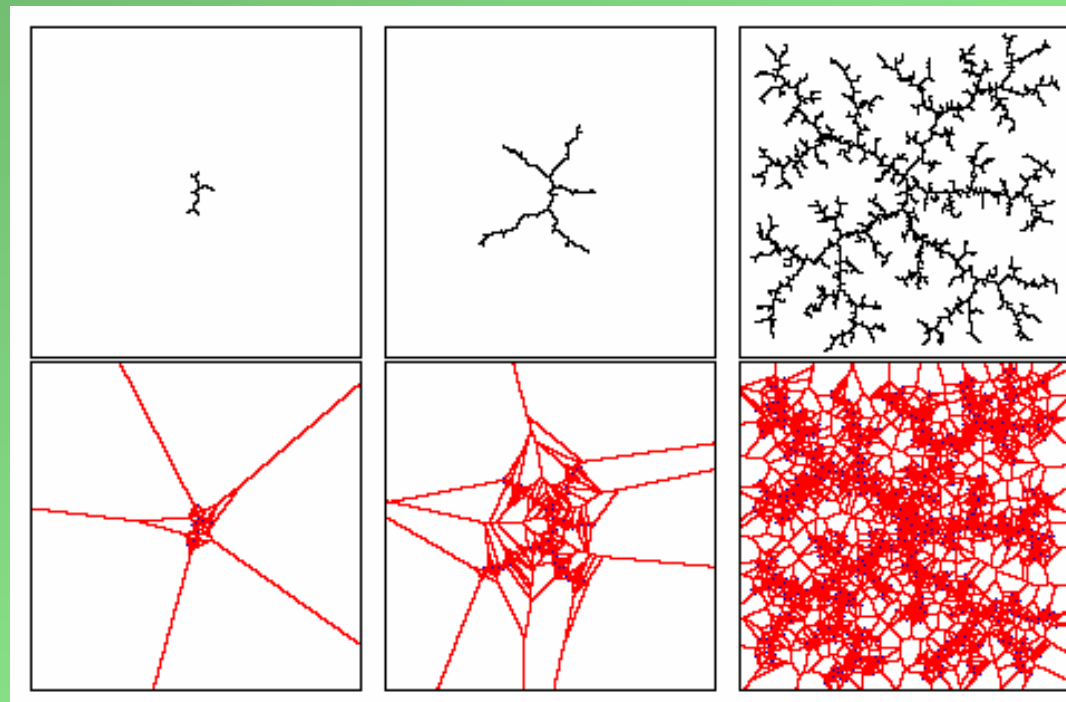
```
EXTEND( $\mathcal{T}, q$ )
1   $q_{near} \leftarrow \text{NEAREST\_NEIGHBOR}(q, \mathcal{T});$ 
2  if  $\text{NEW\_CONFIG}(q, q_{near}, q_{new})$  then
3       $\mathcal{T}.add\_vertex(q_{new});$ 
4       $\mathcal{T}.add\_edge(q_{near}, q_{new});$ 
5      if  $q_{new} = q$  then
6          Return Reached;
7      else
8          Return Advanced;
9  Return Trapped;
```

Existing RRT is “grown” as follows...



Previous Work

- Why are RRT's rapidly exploring?



- the probability of a node to be selected for expansion is proportional to the area of its Voronoi region

The Algorithm

- RRT-connect is a variation of RRT
 - grows two trees from both the source and destination until they meet
 - grows the trees towards each other (rather than towards random configurations)
 - the greediness becomes stronger by growing the tree with multiple epsilon steps instead of a single one

The Algorithm

CONNECT(\mathcal{T}, q)

```
1 repeat
2    $S \leftarrow \text{EXTEND}(\mathcal{T}, q)$ ;
3 until not ( $S = \text{Advanced}$ )
4 Return  $S$ ;
```

RRT_CONNECT_PLANNER(q_{init}, q_{goal})

```
1  $\mathcal{T}_a.\text{init}(q_{init}); \mathcal{T}_b.\text{init}(q_{goal})$ ;
2 for  $k = 1$  to  $K$  do
3    $q_{rand} \leftarrow \text{RANDOM\_CONFIG}()$ ;
4   if not ( $\text{EXTEND}(\mathcal{T}_a, q_{rand}) = \text{Trapped}$ ) then
5     if ( $\text{CONNECT}(\mathcal{T}_b, q_{new}) = \text{Reached}$ ) then
6       Return  $\text{PATH}(\mathcal{T}_a, \mathcal{T}_b)$ ;
7   SWAP( $\mathcal{T}_a, \mathcal{T}_b$ );
8 Return Failure
```

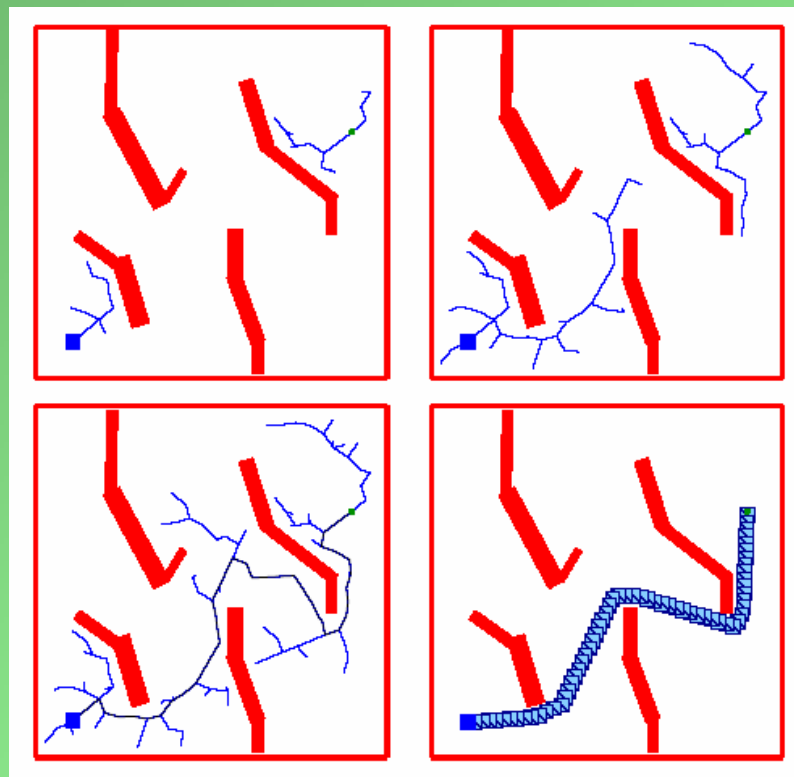
A single RRT-Connect iteration...



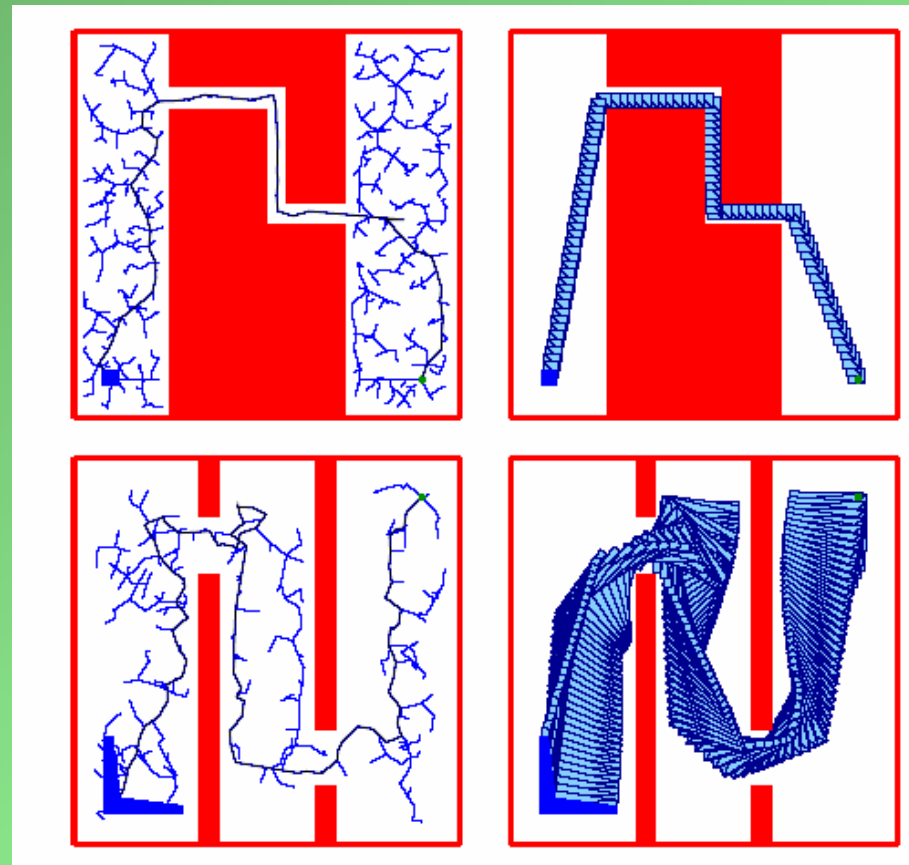
The Algorithm

- The approach is flexible:
 - single epsilon step instead of multiple ones
 - single tree but with multiple epsilon steps
 - only add the last q_{new} to minimize the number of nodes

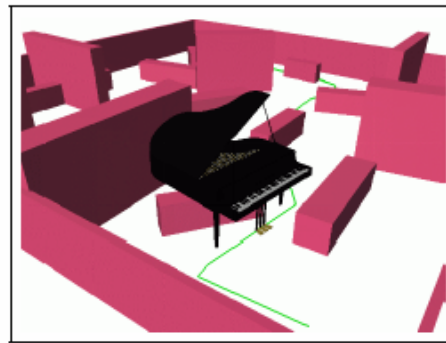
Examples



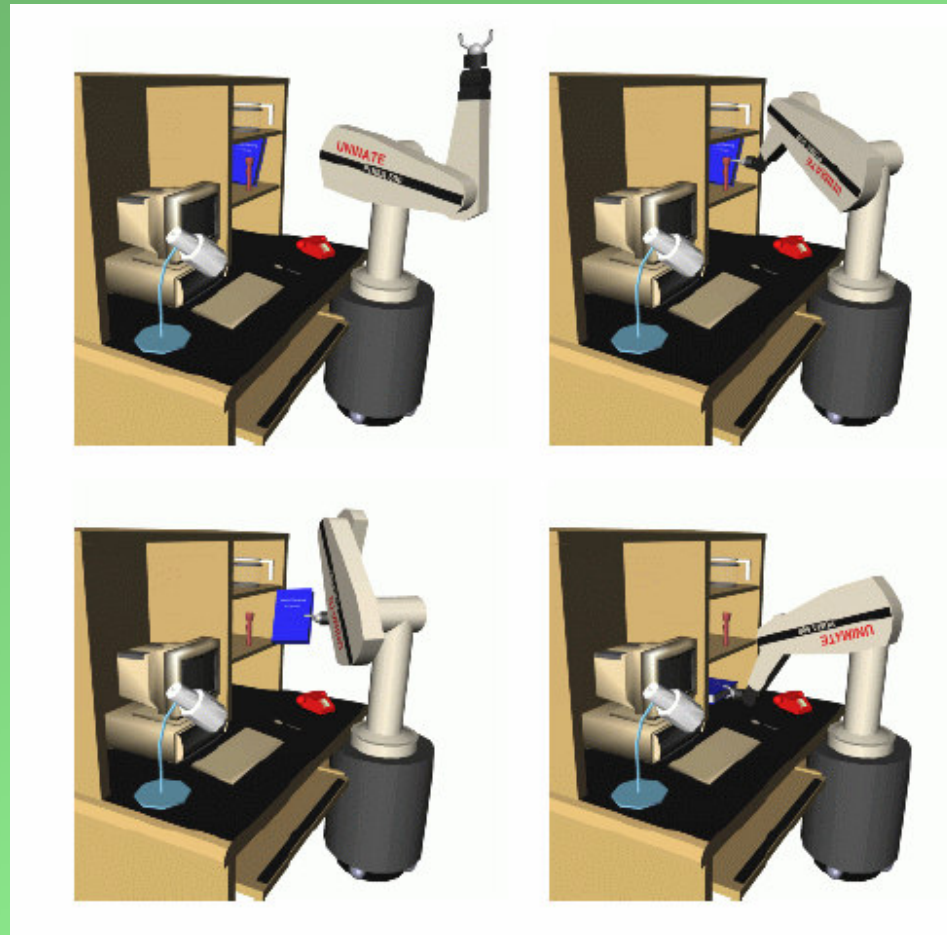
Examples



Examples



Examples



Performance

- much faster than common RRT methods for uncluttered environments and slightly faster in very cluttered environments
- 2D cases are solved in ≤ 1 second depending on the complexity of the situation
- 3D piano scene required 12 seconds
- 6 DOF robot arm required 4 seconds

Conclusions

- Improved version of RRT for faster convergence
- Finds paths in high dimensional spaces at interactive time rates
- Experiments showed it to be consistent
- Drawback: a lot of nearest neighbor searches are performed